Axions and Wave Like Dark Matter





THE UNIVERSITY OF WESTERN AUSTRALIA

Michael Tobar







SNOWMASS

Cosmic Frontier: Wave-Like Dark Matter

Joerg Jaeckel

University of Heidelberg

Gray Rybka

University of Washington

Lindley Winslow

Massachusetts Institute of Technology





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WLDM: GENERIC EXPERIMENT







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Design Physics Package:

-> Sensitive to the type of Dark Matter of Interest







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- -> Reduce Noise, Fundamental Limit is Quantum Noise
- -> Surpass Quantum Limit: Quantum Metrology









ORGAN



ORGAN

UPLOAD



ORGAN

UPLOAD



NEW AXION DM PROGRAMS



UPLOAD



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BULK ACOUSTIC WAVE: OSCILLATING FUNDAMENTAL CONSTANTS





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ELECTROMAGNETIC **TECHNIQUES**







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ADMX



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MONOPOLE AXION COUPLINGS and SCALAR DARK MATTER

BULK ACOUSTIC WAVE: OSCILLATING FUNDAMENTAL CONSTANTS







Emma Paterson to report

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[8] JF Bourhill, ECI Paterson, M Goryachev, ME Tobar, Searching for Ultra-Light Axions with Twisted Cavity Resonators of Anyon Rotational Symmetry with Bulk Modes of Non-Zero Helicity, Phys. Rev. D., Phys. Rev. D, vol. 108, 052014, 2023.

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- 1) Solves Strong CP Problem
- Predicted to form in Early Universe 2)
- 3) Is Dark Matter the Axion?

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Solves Strong CP Problem Predicted to form in Early Universe Is Dark Matter the Axion?



2020 J. J. Sakurai Prize for Theoretical Particle Physics



Solves Strong CP Problem 1) Predicted to form in Early Universe 2) Is Dark Matter the Axion? 3)



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Frank Wilczek

axion-photon coupling $g_{a\gamma\gamma}$ -> chiral anomaly

Solves Strong CP Problem Predicted to form in Early Universe Is Dark Matter the Axion?



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Measure

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One Axion \boldsymbol{a}

Frank Wilczek

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One Axion \boldsymbol{a}

Axion Equation of Motion:

Klein-Gordon equation for massive spin O particle

$$a(t) = \frac{1}{2} \left(\tilde{a}e^{-j\omega_a t} + \tilde{a}^* e^{j\omega_a t} \right)$$
$$= \operatorname{Re} \left(\tilde{a}e^{-j\omega_a t} \right)$$

 $\nabla \cdot \overrightarrow{E} = \frac{\rho_e}{\varepsilon_0} + c g_{a\gamma\gamma} \overrightarrow{B} \cdot \nabla a$ $\nabla \times \overrightarrow{B} - \frac{1}{c^2} \partial_t \overrightarrow{E} =$ $\mu_0 \vec{J}_e - g_{a\gamma\gamma} \epsilon_0 c \left(\vec{B} \partial_t a \right)$ $\nabla \cdot \overrightarrow{B} = 0$ $\nabla \times \overrightarrow{E} + \partial_t \overrightarrow{B} = 0$

- Modified Axion Electrodynamics
 - (Represents two photons)

$$+\nabla a \times \overrightarrow{E}$$

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Axions convert into photons in presence of a background field

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- (Represents two photons)

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- Difference: adds non-zero electromagnetic chirality to Eqns. of Motion

Modified Axion Electrodynamics

Axion Equation of Motion:

Klein-Gordon equation for massive spin 0 particle

$$a(t) = \frac{1}{2} \left(\tilde{a}e^{-j\omega_a t} + \tilde{a}^* e^{j\omega_a t} \right)$$
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- (Represents two photons)

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 $\epsilon_0 \nabla \cdot \vec{E}_1 = \rho_{e1} + \rho_{ab}$ $\frac{1}{-\nabla} \times \overrightarrow{B}_{1} - \epsilon_{0} \partial_{t} \overrightarrow{E}_{1} = \overrightarrow{J}_{e1} + \overrightarrow{J}_{ab} + \overrightarrow{J}_{ae}$

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$$\begin{aligned} \varepsilon_0 \nabla \cdot \vec{E}_1 &= \rho_{e1} + \rho_{ab} \\ \frac{1}{\mu_0} \nabla \times \vec{B}_1 - \varepsilon_0 \partial_t \vec{E}_1 &= \vec{J}_{e1} + \vec{J}_{ab} + \vec{J}_{ab} \\ \rho_{ab} &= g_{a\gamma\gamma} \varepsilon_0 c \nabla \cdot \left(a(t) \vec{B}_0(\vec{r}, t) \right) \\ \vec{J}_{ab} &= -g_{a\gamma\gamma} \varepsilon_0 c \partial_t \left(a(t) \vec{B}_0(\vec{r}, t) \right) \\ \vec{J}_{ae} &= -g_{a\gamma\gamma} \varepsilon_0 c \nabla \times \left(a(t) \vec{E}_0(\vec{r}, t) \right) \\ \nabla \cdot \vec{J}_{ab} &= -\partial_t \rho_{ab} \end{aligned}$$

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Modified Axion Electrodynamics

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Background field (subscript zero)

1)

- 2) **Created Photon Field** (subscript 1)
 - $\begin{aligned} \varepsilon_0 \nabla \cdot \vec{E}_1 &= \rho_{e1} + \rho_{ab} \\ \frac{1}{\cdots} \nabla \times \vec{B}_1 \varepsilon_0 \partial_t \vec{E}_1 &= \vec{J}_{e1} + \vec{J}_{ab} + \vec{J}_{ae} \end{aligned}$ $\rho_{ab} = g_{a\gamma\gamma} \epsilon_0 c \nabla \cdot \left(a(t) \overrightarrow{B}_0(\vec{r}, t) \right)$ $\vec{J}_{ab} = -g_{a\gamma\gamma}\epsilon_0 c\partial_t \left(a(t)\vec{B}_0(\vec{r},t)\right)$ $\vec{J}_{ae} = -g_{a\gamma\gamma}\epsilon_0 c\nabla \times \left(a(t)\vec{E}_0(\vec{r},t)\right)$ $\nabla \cdot \vec{J}_{ab} = -\partial_t \rho_{ab}$

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Scopes resence of a background field	1)	Background field (subscript zero)
ansducer	2)	Created Photon Field
odynamics for Electricity Generation		(subscript 1)
magnetic chirality to Eqns. of Motion		$\epsilon_0 \nabla \cdot \overrightarrow{E}_1 = \rho_{e1} + \rho_{ab}$
dified Axion Electrodynamics		$\frac{1}{U_{e}} \nabla \times \vec{B}_{1} - \epsilon_{0} \partial_{t} \vec{E}_{1} = \vec{J}_{e1} + \vec{J}_{ab} + $
(Represents two photons)		μ_0
$\overrightarrow{E} = \frac{\rho_e}{\varepsilon_0} + (cg_{a\gamma\gamma}\overrightarrow{B} \cdot \nabla a)$ $\overrightarrow{E} = \frac{1}{2}\partial_t \overrightarrow{E} = \frac{1}{2}\partial_t $		$\begin{split} \rho_{ab} &= g_{a\gamma\gamma} \epsilon_0 c \nabla \cdot \left(a(t) \overrightarrow{B}_0(\overrightarrow{r}, t) \right) \\ \vec{J}_{ab} &= -g_{a\gamma\gamma} \epsilon_0 c \partial_t \left(a(t) \overrightarrow{B}_0(\overrightarrow{r}, t) \right) \\ \vec{I}_{ab} &= -g_{a\gamma\gamma} \epsilon_0 c \partial_t \left(a(t) \overrightarrow{B}_0(\overrightarrow{r}, t) \right) \end{split}$
$\int_{0} \vec{J}_{e} \left(-g_{a\gamma\gamma} \epsilon_{0} c \left(\vec{B} \partial_{t} a + \nabla a \times \vec{E} \right) \right)$ $\vec{J}_{e} \left(-g_{a\gamma\gamma} \epsilon_{0} c \left(\vec{B} \partial_{t} a + \nabla a \times \vec{E} \right) \right)$		$\nabla \cdot \vec{J}_{ab} = -\partial_t \rho_{ab}$

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SCOPES resence of a background field	1)	Background field (subscript zero)
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(Represents two photons)		μ_0
$\vec{x} \cdot \vec{E} = \frac{\rho_e}{\varepsilon_0} + (cg_{a\gamma\gamma}\vec{B} \cdot \nabla a)$ $\vec{x} \times \vec{B} - \frac{1}{c^2} \partial_t \vec{E} =$ $\vec{y}_e - g_{a\gamma\gamma} \varepsilon_0 c \left(\vec{B} \partial_t a + \nabla a \times \vec{E}\right)$ $\vec{x} \cdot \vec{B} = 0$		$p_{ab} = g_{a\gamma\gamma}\epsilon_0 c\nabla \cdot \left(a(t)\vec{B}_0(\vec{r},t)\right)$ $\vec{J}_{ab} = -g_{a\gamma\gamma}\epsilon_0 c\partial_t \left(a(t)\vec{B}_0(\vec{r},t)\right)$ $\vec{J}_{ae} = -g_{a\gamma\gamma}\epsilon_0 c\nabla \times \left(a(t)\vec{E}_0(\vec{r},t)\right)$ $\nabla \cdot \vec{J}_{ab} = -\partial_t \rho_{ab}$
$\cdot B = 0$		

Source Terms Generate Photons-> **From Background Fields Mixing with Axion**

Measure Created Photon \mathbf{O}

$$\nabla \cdot \left(\vec{E}_{1}(\vec{r},t) - g_{a\gamma\gamma}a(t)c\vec{B}_{0}(\vec{r},t) \right) = \frac{\rho_{e_{1}}}{\epsilon_{0}}$$

$$\nabla \times \left(\vec{B}_{1}(\vec{r},t) + \frac{g_{a\gamma\gamma}a(t)}{c}\vec{E}_{0}(\vec{r},t) \right)$$

$$-\frac{1}{c^{2}}\partial_{t} \left(\vec{E}_{1}(\vec{r},t) - g_{a\gamma\gamma}a(\vec{r},t)c\vec{B}_{0}(\vec{r},t) \right) = \mu_{0}\vec{J}_{e_{1}}$$

$$\nabla \cdot \vec{B}_{1}(\vec{r},t) = 0$$

$$\nabla \times \vec{E}_{1}(\vec{r},t) + \partial_{t}\vec{B}_{1}(\vec{r},t) = 0.$$

Applied Background Field

$$\nabla \times \overrightarrow{B}_{0} = \mu_{0} \epsilon_{0} \partial_{t} \overrightarrow{E}_{0} + \mu_{0} \overrightarrow{J}_{e_{0}}$$
$$\nabla \times \overrightarrow{E}_{0} = -\partial_{t} \overrightarrow{B}_{0}$$
$$\nabla \cdot \overrightarrow{B}_{0} = 0$$
$$\nabla \cdot \overrightarrow{E}_{0} = \epsilon_{0}^{-1} \rho_{e_{0}}$$

$$\begin{array}{c} \nabla \cdot \\ \textbf{Measure Created Photon} \\ \nabla \cdot \left(\overrightarrow{E}_{1}(\vec{r},t) - g_{a\gamma\gamma}a(t)c\overrightarrow{B}_{0}(\vec{r},t) \right) = \frac{\rho_{e_{1}}}{\epsilon_{0}} \\ \nabla \times \\ \nabla \times \left(\overrightarrow{B}_{1}(\vec{r},t) + \frac{g_{a\gamma\gamma}a(t)}{c}\overrightarrow{E}_{0}(\vec{r},t) \right) \\ -\frac{1}{c^{2}}\partial_{t} \left(\overrightarrow{E}_{1}(\vec{r},t) - g_{a\gamma\gamma}a(\vec{r},t)c\overrightarrow{B}_{0}(\vec{r},t) \right) = \mu_{0}\overrightarrow{J}_{e_{1}} \\ \nabla \cdot \overrightarrow{B}_{1}(\vec{r},t) = 0 \\ \nabla \times \overrightarrow{E}_{1}(\vec{r},t) + \partial_{t}\overrightarrow{B}_{1}(\vec{r},t) = 0. \end{array}$$

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 $\overrightarrow{D}_{1} = \rho_{e_{1}}$ $\times \overrightarrow{H}_{1} - \partial_{t} \overrightarrow{D}_{1} = \overrightarrow{J}_{e_{1}}$ $\cdot \overrightarrow{B}_{1}(\overrightarrow{r}, t) = 0$ $\times \overrightarrow{E}_{1}(\overrightarrow{r}, t) + \partial_{t} \overrightarrow{B}_{1}(\overrightarrow{r}, t) = 0,$

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 $\overrightarrow{D}_1 = \rho_{e_1}$ $\times \overrightarrow{H}_1 - \partial_t \overrightarrow{D}_1 = \overrightarrow{J}_{e_1}$ $\overrightarrow{B}_1(\overrightarrow{r},t) = 0$ $\times \overrightarrow{E}_{1}(\overrightarrow{r},t) + \partial_{t} \overrightarrow{B}_{1}(\overrightarrow{r},t) = 0,$

Constitutive Relations(Include Matter) Effective Magnetisation and Polarisation

$$\nabla \cdot \left(\overrightarrow{E}_{1}(\vec{r},t) - g_{a\gamma\gamma}a(t)c\overrightarrow{B}_{0}(\vec{r},t) \right) = \frac{\rho_{e_{1}}}{\epsilon_{0}} \qquad \nabla \times \left(\overrightarrow{B}_{1}(\vec{r},t) + \frac{g_{a\gamma\gamma}a(t)}{c}\overrightarrow{E}_{0}(\vec{r},t) \right) = \frac{\rho_{e_{1}}}{\epsilon_{0}} \qquad \nabla \times \left(\overrightarrow{B}_{1}(\vec{r},t) + \frac{g_{a\gamma\gamma}a(t)}{c}\overrightarrow{E}_{0}(\vec{r},t) \right) \qquad \nabla \times \left(\overrightarrow{B}_{1}(\vec{r},t) - g_{a\gamma\gamma}a(\vec{r},t)c\overrightarrow{B}_{0}(\vec{r},t) \right) = \mu_{0}\vec{J}_{e_{1}} \qquad \nabla \times \overrightarrow{B}_{1}(\vec{r},t) = 0 \qquad \nabla \times \overrightarrow{E}_{1}(\vec{r},t) + \partial_{t}\overrightarrow{B}_{1}(\vec{r},t) = 0.$$

Applied Background Field

$$\nabla \times \overrightarrow{B}_{0} = \mu_{0} \epsilon_{0} \partial_{t} \overrightarrow{E}_{0} + \mu_{0} \overrightarrow{J}_{e_{0}}$$
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Constitutive Relations(Include Matt Effective Magnetisation and Polarisa

$$\vec{H}_1(\vec{r},t) = \frac{\vec{B}_1}{\mu_0} - \vec{M}_1 - \vec{M}_a$$
$$\vec{D}_1(\vec{r},t) = \epsilon_0 \vec{E}_1 + \vec{P}_1 + \vec{P}_1$$

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$$\begin{array}{c} \nabla \cdot \\ \textbf{Measure Created Photon} \\ \nabla \cdot \left(\overrightarrow{E}_{1}(\vec{r},t) - g_{a\gamma\gamma}a(t)c\overrightarrow{B}_{0}(\vec{r},t) \right) = \frac{\rho_{e_{1}}}{\epsilon_{0}} \\ \nabla \times \\ \nabla \times \left(\overrightarrow{B}_{1}(\vec{r},t) + \frac{g_{a\gamma\gamma}a(t)}{c}\overrightarrow{E}_{0}(\vec{r},t) \right) \\ -\frac{1}{c^{2}}\partial_{t} \left(\overrightarrow{E}_{1}(\vec{r},t) - g_{a\gamma\gamma}a(\vec{r},t)c\overrightarrow{B}_{0}(\vec{r},t) \right) = \mu_{0}\overrightarrow{J}_{e_{1}} \\ \nabla \cdot \overrightarrow{B}_{1}(\vec{r},t) = 0 \\ \nabla \times \overrightarrow{E}_{1}(\vec{r},t) + \partial_{t}\overrightarrow{B}_{1}(\vec{r},t) = 0. \end{array}$$

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$$\nabla \cdot \overrightarrow{E}_{0} = \epsilon_{0}^{-1} \rho_{e_{0}}$$

Constitutive Relations(Include Matter) Effective Magnetisation and Polarisation

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$$\vec{M}_{a1} = -g_{a\gamma\gamma}a(t)c\epsilon_{0}\vec{E}_{0}(\vec{r},t)$$
$$\frac{1}{\epsilon_{0}}\vec{P}_{a1} = -g_{a\gamma\gamma}a(t)c\vec{B}_{0}(\vec{r},t)$$

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$$\nabla \times \overrightarrow{E}_{0} = -\partial_{t} \overrightarrow{B}_{0}$$
$$\nabla \cdot \overrightarrow{B}_{0} = 0$$
$$\nabla \cdot \overrightarrow{E}_{0} = \epsilon_{0}^{-1} \rho_{e_{0}}$$

 $\overrightarrow{D}_{1} = \rho_{e_{1}}$ $\overrightarrow{H}_{1} - \partial_{t} \overrightarrow{D}_{1} = \overrightarrow{J}_{e_{1}}$ $\overrightarrow{B}_{1}(\overrightarrow{r}, t) = 0$ $\times \overrightarrow{E}_{1}(\overrightarrow{r}, t) + \partial_{t} \overrightarrow{B}_{1}(\overrightarrow{r}, t) = 0,$

Constitutive Relations(Include Matter) Effective Magnetisation and Polarisation

$$\vec{H}_{1}(\vec{r},t) = \frac{\vec{B}_{1}}{\mu_{0}} - \vec{M}_{1} - \vec{M}_{a}$$
$$\vec{D}_{1}(\vec{r},t) = \epsilon_{0}\vec{E}_{1} + \vec{P}_{1} + \vec{P}_{1}$$
$$\vec{M}_{a1} = -g_{a\gamma\gamma}a(t)c\epsilon_{0}\vec{E}_{0}(\vec{r},t)$$
$$\frac{1}{\epsilon_{0}}\vec{P}_{a1} = -g_{a\gamma\gamma}a(t)c\vec{B}_{0}(\vec{r},t)$$

 $\overrightarrow{D}_{1}(\overrightarrow{r},t) = -\partial_{t}\overrightarrow{B}_{1}(\overrightarrow{r},t) + \nabla \times (\overrightarrow{P}_{1} + \overrightarrow{P}_{a1})$

$$\nabla \cdot \overrightarrow{D}_{1} = \rho_{e_{1}}$$
Constitutive Relations (Interpretation of the second secon

Applied Background Field

$$\nabla \times \overrightarrow{B}_{0} = \mu_{0} \epsilon_{0} \partial_{t} \overrightarrow{E}_{0} + \mu_{0} \overrightarrow{J}_{e_{0}}$$
$$\nabla \times \overrightarrow{E}_{0} = -\partial_{t} \overrightarrow{B}_{0}$$
$$\nabla \cdot \overrightarrow{B}_{0} = 0$$
$$\nabla \cdot \overrightarrow{E}_{0} = \epsilon_{0}^{-1} \rho_{e_{0}}$$

Include Matter) and Polarisation

$$\vec{H}_{1}(\vec{r},t) = \frac{\vec{B}_{1}}{\mu_{0}} - \vec{M}_{1} - \vec{M}_{a}$$
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$$\vec{M}_{a1} = -g_{a\gamma\gamma}a(t)c\epsilon_{0}\vec{E}_{0}(\vec{r},t)$$
$$\frac{1}{\epsilon_{0}}\vec{P}_{a1} = -g_{a\gamma\gamma}a(t)c\vec{B}_{0}(\vec{r},t)$$

Measure Created Photon

$$\nabla \cdot \left(\vec{E}_{1}(\vec{r},t) - g_{a\gamma\gamma}a(t)c\vec{B}_{0}(\vec{r},t)\right) = \frac{\rho_{e_{1}}}{e_{0}}$$

$$\nabla \times \left(\vec{E}_{1}(\vec{r},t) + \frac{g_{a\gamma\gamma}a(t)}{c}\vec{E}_{0}(\vec{r},t)\right) = \frac{\rho_{e_{1}}}{e_{0}}$$

$$\nabla \times \left(\vec{B}_{1}(\vec{r},t) + \frac{g_{a\gamma\gamma}a(t)}{c}\vec{E}_{0}(\vec{r},t)\right)$$

$$\nabla \times \vec{E}_{1}(\vec{r},t) = 0$$

$$\nabla \times \vec{E}_{1}(\vec{r},t) + \partial_{t}\vec{B}_{1}(\vec{r},t) = 0,$$

$$\nabla \times \vec{E}_{1}(\vec{r},t) = -\partial_{t}\vec{B}_{1}(\vec{r},t) + \nabla \times (\vec{P}_{1} + \vec{P}_{a1}),$$

$$\nabla \times \vec{P}_{a1} \neq 0 = -g_{a\gamma\gamma}a(t)c\nabla \times \vec{B}_{0}(\vec{r},t) \quad (\nabla a = 0)$$
Applied Background Field

$$\nabla \times \overline{B}_{0} = \mu_{0} \epsilon_{0} \partial_{t} \overline{E}_{0} + \mu_{0} \overline{J}_{e_{0}}$$

$$\nabla \times \overrightarrow{E}_{0} = -\partial_{t} \overline{B}_{0}$$

$$\nabla \cdot \overrightarrow{B}_{0} = 0$$

$$\nabla \cdot \overrightarrow{E}_{0} = \epsilon_{0}^{-1} \rho_{e_{0}}$$

Include Matter) and Polarisation

$$\vec{H}_{1}(\vec{r},t) = \frac{\vec{B}_{1}}{\mu_{0}} - \vec{M}_{1} - \vec{M}_{a}$$
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$$\frac{1}{\epsilon_{0}}\vec{P}_{a1} = -g_{a\gamma\gamma}a(t)c\vec{B}_{0}(\vec{r},t)$$

$$\begin{array}{c} \nabla \cdot \overrightarrow{D}_{1} = \rho_{e_{1}} \\ \hline \\ \nabla \times \overrightarrow{B}_{1}(\vec{r},t) - g_{a\eta\gamma}a(t)c\overrightarrow{B}_{0}(\vec{r},t) = \frac{\rho_{e_{1}}}{e_{0}} \\ \nabla \times \left(\overrightarrow{B}_{1}(\vec{r},t) + \frac{g_{a\eta\gamma}a(t)}{c}\overrightarrow{B}_{0}(\vec{r},t)\right) = \frac{\rho_{e_{1}}}{e_{0}} \\ \nabla \times \left(\overrightarrow{B}_{1}(\vec{r},t) + \frac{g_{a\eta\gamma}a(t)}{c}\overrightarrow{B}_{0}(\vec{r},t)\right) = \mu_{0}\overrightarrow{J}_{e_{1}} \\ \neg \cdot \overrightarrow{B}_{1}(\vec{r},t) = 0 \\ \nabla \times \overrightarrow{B}_{1}(\vec{r},t) = 0 \\ \overrightarrow{B$$

Include Matter) and Polarisation

$$\vec{H}_{1}(\vec{r},t) = \frac{\vec{B}_{1}}{\mu_{0}} - \vec{M}_{1} - \vec{M}_{a}$$
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Physics of the Dark Universe 26 (2019) 100339



Contents lists available at ScienceDirect

Physics of the Dark Universe

journal homepage: www.elsevier.com/locate/dark

Modified axion electrodynamics as impressed electromagnetic sources through oscillating background polarization and magnetization



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Physics of the Dark Universe 30 (2020) 100624



Physics of the Dark Universe

journal homepage: www.elsevier.com/locate/dark

Broadband electrical action sensing techniques with conducting wires for low-mass dark matter axion detection



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Few thoughts on θ and the electric dipole moments

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PHYSICAL REVIEW RESEARCH 3, 023011 (2021)

Electric polarization as a nonquantized topological response and boundary Luttinger theorem

Xue-Yang Song⁶,^{1,2} Yin-Chen He⁶,² Ashvin Vishwanath,¹ and Chong Wang² ¹Department of Physics, Harvard University, Cambridge, Massachusetts 02138, USA ²Perimeter Institute for Theoretical Physics, Waterloo, Ontario N2L 2Y5, Canada

(Received 22 February 2021; accepted 5 March 2021; published 2 April 2021)



kuniver

Emergent electric field from magnetic resonances in a one-dimensional chiral magnet

Kotaro Shimizu,¹ Shun Okumura,¹ Yasuyuki Kato,¹ and Yukitoshi Motome¹ ¹Department of Applied Physics, The University of Tokyo, Tokyo 113-8656, Japan (Dated: July 18, 2023)

The emergent electric field (EEF) is a fictitious electric field acting on conduction electrons through the Berry phase mechanism.



• Axions convert into photons in presence of strong magnetic field: Mass is unknown

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- Axions convert into photons in presence of strong magnetic field: Mass is unknown
- Three regimes of haloscope detector



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 $\lambda_a > d_{exp}$ $\lambda_a \sim d_{exp}$ $\lambda_a < d_{exp}$



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 m_a



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 $\lambda_{a} = \frac{h}{m_{a}c} \qquad \begin{array}{c} \lambda_{a} > d_{exp} & \lambda_{a} \sim d_{exp} \\ \longleftarrow & & & & \\$



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 $\lambda_{a} = \frac{h}{m_{a}c} \qquad \begin{array}{c} \lambda_{a} > d_{exp} & \lambda_{a} \sim d_{exp} \\ \longleftarrow & & & & & \\ & & & & & \\ & & & & & \\ & & & & & \\ & & & & & \\ & & & & & \\ & & & & & \\ & & & & & \\ & & & & & \\ & & & & & \\ & & & & & \\ & & & & & \\ & & & & & \\ & & & & & \\ & & & & & \\ & & & \\ & & & & \\ & & & \\ & & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\$ $m_a[eV] \equiv \frac{m_a[kg]c^2}{q_a}$



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 $m_a[eV] \equiv \frac{m_a[kg]c^2}{q_e}$ $1eV = 1.8 \times 10^{-36} [kg]$





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 $\lambda_a \sim d_{exp}$ $\lambda_a < d_{exp}$ $m_a \qquad \omega_a \approx \frac{m_a c^2}{r}$ (enhanced $m_a[eV] \equiv \frac{m_a[kg]c^2}{q_e}$ by Q narrow $1eV = 1.8 \times 10^{-36} [kg]$





- Axions convert into photons in presence of strong magnetic field: Mass is unknown
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 $\lambda_a < d_{exp}$ $\omega_a \approx \frac{m_a c^2}{r}$ M_a Propagative (enhanced (broad band) $m_a[eV] \equiv \frac{m_a[kg]c^2}{c}$ by Q narrow $1eV = 1.8 \times 10^{-36} [kg]$





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 $\lambda_a \sim d_{exp} \sim 1 cm \rightarrow 1m$

 $\lambda_a < d_{exp}$ $\lambda_a \sim d_{exp}$ $\omega_a \approx \frac{m_a c^2}{r}$ m_a Propagative (enhanced (broad band) $m_a[eV] \equiv \frac{m_a[kg]c^2}{q_e}$ by Q narrow $1eV = 1.8 \times 10^{-36} [kg]$





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300 *MHz*

 $\lambda_a > d_{exp}$

 1.25×10^{-6}





Low Mass: Lumped Element 300 *MHz* Reactive 1.25×10^{-6} $\lambda_a > d_{exp}$

ADMX SLIC **RE-ENTRANT CAVITY** ABRACADABRA SHAFT **DM RADIO**





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Low Mass: Lumped Element 300 *MHz* Reactive 1.25×10^{-6} $\lambda_a > d_{exp}$

ADMX SLIC **RE-ENTRANT CAVITY** ABRACADABRA SHAFT **DM RADIO**







Middle Mass:

Low Mass: Lumped Element Reactive

 $\lambda_a > d_{exp}$

ADMX SLIC **RE-ENTRANT CAVITY** ABRACADABRA SHAFT **DM RADIO**

300 *MHz* 1.25×10^{-6}

ADMX CULTASK ORGAN QUAX RADES



es	Type Depends on Axior	n Compton Wave	length λ_a =	$=\frac{h}{cm_a}$
ddle N React	lass: Resonant Cavity ive and Dissipative	30 <i>GHz</i>		$\frac{\omega_a}{2\pi}Hz$
	$\lambda_a \sim d_{exp}$	1.25×10^{-4}	$\lambda_a < d_{exp}$	$m_a e^{2m}$















• The basic conservation law for electromagnetic energy (EM)



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- Defines the balance of EM Complex power given 1) Sources, 2) Storage, 3) Dissipation, 4) Radiation



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Instantaneous Poynting vector

$$\vec{S}_{1}(t) = \frac{1}{\mu_{0}} \vec{E}_{1}(t) \times \vec{B}_{1}(t) = \frac{1}{2} \left(\mathbf{E}_{1} e^{-j\omega_{1}t} + \mathbf{E}_{1}^{*} e^{j\omega_{1}t} \right) \times \frac{1}{2\mu_{0}} \left(\mathbf{B}_{1} e^{-j\omega_{1}t} + \mathbf{B}_{1}^{*} e^{j\omega_{1}t} \right)$$
$$= \frac{1}{2\mu_{0}} \operatorname{Re} \left(\mathbf{E}_{1} \times \mathbf{B}_{1}^{*} \right) + \frac{1}{2\mu_{0}} \operatorname{Re} \left(\mathbf{E}_{1} \times \mathbf{B}_{1} \ e^{-j2\omega_{1}t} \right),$$
$$\langle \vec{S}_{1} \rangle = \frac{1}{T} \int_{0}^{T} \vec{S}_{1}(t) dt = \frac{1}{T} \int_{0}^{T} \left[\frac{1}{2} \operatorname{Re} \left(\mathbf{E}_{1} \times \mathbf{B}_{1}^{*} \right) + \frac{1}{2} \operatorname{Re} \left(\mathbf{E}_{1} \times \mathbf{B}_{1} e^{-2j\omega_{1}t} \right) \right] dt = \frac{1}{2} \operatorname{Re} \left(\mathbf{E}_{1} \times \mathbf{B}_{1}^{*} \right)$$



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$$= \frac{1}{2\mu_{0}} \operatorname{Re} \left(\mathbf{E}_{1} \times \mathbf{B}_{1}^{*} \right) + \frac{1}{2\mu_{0}} \operatorname{Re} \left(\mathbf{E}_{1} \times \mathbf{B}_{1} \ e^{-j2\omega_{1}t} \right),$$
$$\vec{S}_{1} \rangle = \frac{1}{T} \int_{0}^{T} \vec{S}_{1}(t) dt = \frac{1}{T} \int_{0}^{T} \left[\frac{1}{2} \operatorname{Re} \left(\mathbf{E}_{1} \times \mathbf{B}_{1}^{*} \right) + \frac{1}{2} \operatorname{Re} \left(\mathbf{E}_{1} \times \mathbf{B}_{1} e^{-2j\omega_{1}t} \right) \right] dt = \frac{1}{2} \operatorname{Re} \left(\mathbf{E}_{1} \times \mathbf{B}_{1}^{*} \right)$$

Complex Poynting vector

The corresponding phasor form of the Poynting vector

$$\mathbf{S}_{1} = \frac{1}{2\mu_{0}} \mathbf{E}_{1} \times \mathbf{B}_{1}^{*} \text{ and } \mathbf{S}_{1}^{*} = \frac{1}{2\mu_{0}} \mathbf{E}_{1}^{*} \times \mathbf{B}_{1},$$

Re $(\mathbf{S}_{1}) = \frac{1}{2} (\mathbf{S}_{1} + \mathbf{S}_{1}^{*})$ and $j \operatorname{Im} (\mathbf{S}_{1}) = \frac{1}{2} (\mathbf{S}_{1} - \mathbf{S}_{1}^{*}).$

Time Average Power

Reactive Power



Sensitivity of a Resonant Haloscope

 $P_{av} = \frac{1}{2} \operatorname{Re} \oint_{S_c} (\mathbf{E} \times \mathbf{H}^*) \cdot d\mathbf{s}$

Average radiated power outside volume





Poynting vector controversy in axion modified electrodynamics

Michael E. Tobar[®],^{*} Ben T. McAllister, and Maxim Goryachev ARC Centre of Excellence for Engineered Quantum Systems and ARC Centre of Excellence for Dark Matter Particle Physics, Department of Physics, University of Western Australia, 35 Stirling Highway, Crawley, Western Australia 6009, Australia

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Average radiated power outside volume





 $\mathbf{S} = \frac{1}{2\mu_0} \mathbf{E}_1 \times$

 ∇

On resonance: Real part of Complex Poynting Theorem = 0 for closed system



 P_s Axion

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$$\cdot \mathbf{S} = \frac{1}{2\mu_{0}} \nabla \cdot (\mathbf{E}_{1} \times \mathbf{B}_{1}^{*}) = \frac{1}{2\mu_{0}} \mathbf{B}_{1}^{*} \cdot (\nabla \times \mathbf{E}_{1}) - \frac{1}{2\mu_{0}} \mathbf{E}_{1} \cdot (\nabla \times \mathbf{B}_{1}^{*})$$

$$\nabla \cdot \mathbf{S}^{*} = \frac{1}{2\mu_{0}} \nabla \cdot (\mathbf{E}_{1}^{*} \times \mathbf{B}_{1}) = \frac{1}{2\mu_{0}} \mathbf{B}_{1} \cdot (\nabla \times \mathbf{E}_{1}^{*}) - \frac{1}{2\mu_{0}} \mathbf{E}_{1}^{*} \cdot (\nabla \times \mathbf{B}_{1})$$

$$\hat{n}ds = \frac{j\omega_a g_{a\gamma\gamma} \epsilon_0 c}{4} \int (\mathbf{E}_1 \cdot \tilde{a}^* \mathbf{B}_0^* - \mathbf{E}_1^* \cdot \tilde{a} \mathbf{B}_0) d\tau - \frac{1}{4} \int (\mathbf{E}_1 \cdot \mathbf{J}_{e1}^* + \mathbf{E}_1^* \cdot \mathbf{J}_{e1}) d\tau$$
power input
$$P_d \quad \text{Cavity power distribution}$$





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 $\oint \operatorname{Re}\left(\mathbf{S}\right)$

 P_s Axion

$$P_d = \frac{1}{4} \int (\mathbf{E}_1 \cdot \mathbf{J}_{e1}^* + \mathbf{E}_1^* \cdot \mathbf{J}_{e1}) \ d\tau = \frac{\omega_1 \epsilon_0}{2Q_1} \int \mathbf{E}_1 \cdot \mathbf{E}_1^* \ dV = \frac{\omega_1 U_1}{Q_1}$$

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power input
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 $\oint \operatorname{Re}\left(\mathbf{S}\right)$

 P_s Axion

$$P_{d} = \frac{1}{4} \int (\mathbf{E}_{1} \cdot \mathbf{J}_{e1}^{*} + \mathbf{E}_{1}^{*} \cdot \mathbf{J}_{e1}) \ d\tau = \frac{\omega_{1} \epsilon_{0}}{2Q_{1}} \int \mathbf{E}_{1} \cdot \mathbf{E}_{1}^{*} \ dV = \frac{\omega_{1} U_{1}}{Q_{1}} \qquad P_{a1} = \frac{\omega_{a} g_{a\gamma\gamma} a_{0} \epsilon_{0} c}{2Q_{1}} \int (Re(\mathbf{E}_{1}) \cdot Re(\mathbf{B}_{0})) \ d\tau = P_{d}$$

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power input
$$P_d \quad \text{Cavity power distribution}$$





Sensitivity of a Resonant Haloscope

 $P_{av} = \frac{1}{2} \operatorname{Re} \phi_{\mathrm{S}} (\mathbf{E} \times \mathbf{H}^*) \cdot d\mathbf{s}$

Average radiated power outside volume





 $\mathbf{S} = \frac{1}{2\mu_0} \mathbf{E}_1 \times$

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On resonance: Real part of Complex Poynting Theorem = 0 for closed system

 $\phi \operatorname{Re}(\mathbf{S})$

 P_{s} Axion

$$P_{d} = \frac{1}{4} \int (\mathbf{E}_{1} \cdot \mathbf{J}_{e1}^{*} + \mathbf{E}_{1}^{*} \cdot \mathbf{J}_{e1}) d\tau = \frac{\omega_{1}\epsilon_{0}}{2Q_{1}} \int \mathbf{E}_{1} \cdot \mathbf{E}_{1}^{*} dV = \frac{\omega_{1}U_{1}}{Q_{1}} \qquad P_{a1} = \frac{\omega_{a}g_{a\gamma\gamma}a_{0}\epsilon_{0}c}{2Q_{1}} \int (Re(\mathbf{E}_{1}) \cdot Re(\mathbf{B}_{0})) d\tau = P_{d}$$

$$P_{a1} = \omega_{a}QU_{1} = g_{a\gamma\gamma}^{2} \langle a_{0} \rangle^{2} \omega_{a}Q_{1}\epsilon_{0}c^{2}B_{0}^{2}V_{1}C_{1}, \qquad C_{1} = \frac{\left(\int \vec{B}_{0} \cdot \operatorname{Re}(\mathbf{E}_{1}) d\tau\right)^{2}}{B_{0}^{2}V_{1}\int \mathbf{E}_{1} \cdot \mathbf{E}_{1}^{*} d\tau},$$

Poynting vector controversy in axion modified electrodynamics

Michael E. Tobar[®],^{*} Ben T. McAllister, and Maxim Goryachev ARC Centre of Excellence for Engineered Quantum Systems and ARC Centre of Excellence for Dark Matter Particle Physics, Department of Physics, University of Western Australia, 35 Stirling Highway, Crawley, Western Australia 6009, Australia

(Received 9 September 2021; accepted 28 January 2022; published 15 February 2022)

$$\mathbf{A} \mathbf{B}_{1}^{*} \text{ and } \mathbf{S}^{*} = \frac{1}{2\mu_{0}} \mathbf{E}_{1}^{*} \times \mathbf{B}_{1}$$

$$\cdot \mathbf{S} = \frac{1}{2\mu_{0}} \nabla \cdot (\mathbf{E}_{1} \times \mathbf{B}_{1}^{*}) = \frac{1}{2\mu_{0}} \mathbf{B}_{1}^{*} \cdot (\nabla \times \mathbf{E}_{1}) - \frac{1}{2\mu_{0}} \mathbf{E}_{1} \cdot (\nabla \times \mathbf{B}_{1}^{*})$$

$$\nabla \cdot \mathbf{S}^{*} = \frac{1}{2\mu_{0}} \nabla \cdot (\mathbf{E}_{1}^{*} \times \mathbf{B}_{1}) = \frac{1}{2\mu_{0}} \mathbf{B}_{1} \cdot (\nabla \times \mathbf{E}_{1}^{*}) - \frac{1}{2\mu_{0}} \mathbf{E}_{1}^{*} \cdot (\nabla \times \mathbf{B}_{1})$$

$$\hat{n}ds = \frac{j\omega_a g_{a\gamma\gamma} \epsilon_0 c}{4} \int (\mathbf{E}_1 \cdot \tilde{a}^* \mathbf{B}_0^* - \mathbf{E}_1^* \cdot \tilde{a} \mathbf{B}_0) d\tau - \frac{1}{4} \int (\mathbf{E}_1 \cdot \mathbf{J}_{e1}^* + \mathbf{E}_1^* \cdot \mathbf{J}_{e1}) d\tau$$
power input
$$P_d \quad \text{Cavity power distribution}$$





Sensitivity of a Resonant Haloscope

 $P_{av} = \frac{1}{2} \operatorname{Re} \oint_{S_c} (\mathbf{E} \times \mathbf{H}^*) \cdot d\mathbf{s}$

Average radiated power outside volume



Reactive Power = 0



 $\mathbf{S} = \frac{1}{2\mu_0} \mathbf{E}_1 \times$

 ∇

On resonance: Real part of Complex Poynting Theorem = 0 for closed system

- $\oint \operatorname{Re}\left(\mathbf{S}\right)$
- P_s Axion

 $P_d = \frac{1}{4} \int (\mathbf{E}_1 \cdot \mathbf{J}_{e1}^* + \mathbf{E}_1^*)$

 $P_{a1} = \omega_a Q U$

Poynting vector controversy in axion modified electrodynamics

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power input
$$P_d \quad \text{Cavity power distribution}$$

$$\cdot \mathbf{J}_{e1} d\tau = \frac{\omega_1 \epsilon_0}{2Q_1} \int \mathbf{E}_1 \cdot \mathbf{E}_1^* dV = \frac{\omega_1 U_1}{Q_1} \qquad P_{a1} = \frac{\omega_a g_{a\gamma\gamma} a_0 \epsilon_0 c}{2Q_1} \int (Re(\mathbf{E}_1) \cdot Re(\mathbf{B}_0)) d\tau = P_d$$

$$\mathcal{U}_1 = g_{a\gamma\gamma}^2 \langle a_0 \rangle^2 \omega_a Q_1 \epsilon_0 c^2 B_0^2 V_1 C_1, \qquad C_1 = \frac{\left(\int \vec{B}_0 \cdot \operatorname{Re}(\mathbf{E}_1) d\tau\right)^2}{B_0^2 V_1 \int \mathbf{E}_1 \cdot \mathbf{E}_1^* d\tau},$$





IMAGINARY POYNTING VECTOR INSIDE CAVITY





 TM_{0n0}

 $\tilde{H}_{\phi} = -j\tilde{E}_{0}(\omega\epsilon)\frac{r_{c}}{\chi_{0n}}J_{0}'\left(\frac{\chi_{0n}}{r_{c}}r\right)$



 $\vec{S} = \vec{E} \times \vec{H}$

* * * * * * * * * * * * * * * *************** **************************** ********* 111777777 ********* ******* ******** ********* ******** ******** ********* *********

 TM_{010}



 TM_{020}

************************ ********************* ********************* ************************ -----*********************** < > > > < < < > > < < < > > < < < > > < < < > > < < < > > < < < > > < < < > > < < < > > < < < > > < < < > > < < < > > < < < > > < < < > > < < < > > < < < > > < < < > > < < > > < < < > > < < > > < < > > < < > > < < > > < < > > < < > > < < > > < < > > < < > > < < > > < < > > < < > > < < > > < < > > < < > > < < > > < < > > < < > > < < > > < < > > < < > > < < > > < < > > < < > > < < > > < < > > < < > > < < > > < < > > < < > > < < > > < < > > < < > > < < > > < < > > < < > > < < > > < < > > < < > > < < > > < < > > < < > > < < > > < < > > < < > > < < < > > < < < > > < < < > > < < > > < < > > < < < > > < < > > < < > > < < < > > < < < > > < < > > < < > > < < < > > < < < > > < < < > > < < < > > < < < > > > < < < > > < < < > > < < < > > < < < > > < < < > > > < < < > > < < < > > < < < > > < < > > < < < > > < < < > > < < < > > < < < > > < < < > > < < < < > > < < < > > < < < > > < < < < > > < < < > > < < < < > > < < < > > < < < < < > > > < < < < > > < < < < > > > < < < < > > < < < > > > < < < > > > < < < > > < < < < > > > > < < < < > > < < < > > > < < < < > > > < < < > > > < < < < > > > < < < < > > > < < < < > > > < < < < < < < > > > > < < < < > > > < < < < < > > > > < < < < > > > < < < < > > > > < < < < > > > < < < < < < > > > > < < < < < > > > < < < < > > > > < < < < > > > > < < < < > > > > > < < < < > > > > > < < < < > > > > > < < < < > > > > > < < < < > > > > > < < < < > > > > > < < < < > > > > > < < < < > > > > > < < < > > > > > < < < < > > > > > < < < > > > > > > < < < > > > > > > < < < > > > > > < < < < > > > > > > > < < < < > > > > > > < < < < > > > > > < < < < > > > > > < < < < > > > > > < < < > > > > > > < < < < > > > > > < < < < < > > > > > > < < < < < < < > > > > > > > > < < < < < < < < < > > > > > > < < < < < < < > > > > > > > > > < < < < < < < < > > > > > > > > > > > < < < < < < < < < < < < > > > > > > > > > > > > > < < < < < < < > > > > > > > > > > > > > < < < < < < > > > > > > > > > > > > > < < < < < < < > > > > > > > > > > > > > > > < < < < < < > > > > > > > > > > > > > > > > < < < < < < < < < < < < < > > > ********************** -----***************************** **************************** ************************ ************************ ***************** *********** *****

 TM_{030}





IMAGINARY POYNTING VECTOR INSIDE CAVITY















Resonator Measurement: Impedance match; set coupling =1; Take Photons from Source



Resonator Measurement: Impedance match; set coupling =1; Take Photons from Source



Resonator Measurement: Impedance match; set coupling =1; Take Photons from Source





Resonator Measurement: Impedance match; set coupling =1; Take Photons from Source



Reactive Power Measurement, Does Not Absorb Energy:



Resonator Measurement: Impedance match; set coupling =1; Take Photons from Source



Reactive Power Measurement, Does Not Absorb Energy:

Left eg. Inductive couple SQUID Amplifier (Current of Mag Flux)







Reactive Power Measurement, Does Not Absorb Energy: Left eg. Inductive couple SQUID Amplifier (Current of Mag Flux) **Right eg. Capacitive coupled High Impedance Amplifier (Voltage)**







Reactive Power Measurement, Does Not Absorb Energy: Left eg. Inductive couple SQUID Amplifier (Current of Mag Flux) **Right eg. Capacitive coupled High Impedance Amplifier (Voltage)**

Energy oscillates between Source and Capacitor







Reactive Power Measurement, Does Not Absorb Energy: Left eg. Inductive couple SQUID Amplifier (Current of Mag Flux) **Right eg. Capacitive coupled High Impedance Amplifier (Voltage)**

Energy oscillates between Source and Capacitor Do not destroy photons







Left eg. Inductive couple SQUID Amplifier (Current of Mag Flux) **Right eg. Capacitive coupled High Impedance Amplifier (Voltage)**

Reactive power does not propagate or dissipate out of the volume of the detector (ie. no loss): Oscillates in and out of volume

Energy oscillates between Source and Capacitor Do not destroy photons







Right eg. Capacitive coupled High Impedance Amplifier (Voltage)

Reactive power does not propagate or dissipate out of the volume of the detector (ie. no loss): Oscillates in and out of volume Does not need to be the order of the Compton wavelength in size (sub wavelength phenomena)

Do not destroy photons



 $\mathcal{H}_{int} = \epsilon_0 c g_{a\gamma\gamma} a \mathbf{E} \cdot \mathbf{B}$





 $\mathcal{H}_{int} = \epsilon_0 c g_{a\gamma\gamma} a \mathbf{E} \cdot \mathbf{B}$





Photon 1: E field of cavity's resonant transverse magnetic mode, $m_a = f_1 + \delta f$

 $\mathcal{H}_{int} = \epsilon_0 c g_{a\gamma\gamma} a \mathbf{E} \cdot \mathbf{B}$





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Photon 1: E field of cavity's resonant transverse magnetic mode, $m_a = f_1 + \delta f$

Photon 0, Back ground DC B field of surrounding magnet



 $\mathcal{H}_{int} = \epsilon_0 c g_{a\gamma\gamma} a \mathbf{E} \cdot \mathbf{B}$





Photon 1: E field of cavity's resonant transverse magnetic mode, $m_a = f_1 + \delta f$

Photon 0, Back ground DC B field of surrounding magnet

eg. • ADMX •ORGAN (UWA) •CAPP •HAYSTAC



 $\mathcal{H}_{int} = \epsilon_0 c g_{a\gamma\gamma} a \mathbf{E} \cdot \mathbf{B}$





PHASE NOISE THERMAL NOISE FFT

Photon 1: E field of cavity's resonant transverse magnetic mode, $m_a = f_1 + \delta f$

Photon 0, Back ground DC B field of surrounding magnet

eg. • ADMX •ORGAN (UWA) •CAPP •HAYSTAC





 $\mathcal{H}_{int} = \epsilon_0 c g_{a\gamma\gamma} a \mathbf{E} \cdot \mathbf{B}$





PHASE NOISE + THERMAL NOISE FFT

Photon 1: E field of cavity's resonant transverse magnetic mode, $m_a = f_1 + \delta f$

Photon 0, Back ground DC B field of surrounding magnet

eg. • ADMX •ORGAN (UWA) •CAPP •HAYSTAC









PHASE NOISE THERMAL NOISE FFT

Photon 1: E field of cavity's resonant transverse magnetic mode, $m_a = f_1 + \delta f$

Photon 0, Back ground DC B field of surrounding magnet

eg. • ADMX •ORGAN (UWA) •CAPP •HAYSTAC





•Use a mode 0 as the background "magnetic field" AC source





Photon 1: E field of cavity's resonant transverse magnetic mode, $m_a = f_1 + \delta f$

Photon 0, Back ground DC B field of surrounding magnet

eg. • ADMX •ORGAN (UWA) •CAPP •HAYSTAC





Two modes in one cylindrical cavity



Photon 1: E field of cavity's resonant transverse magnetic mode, $m_a = f_1 + \delta f$

Photon 0, Back ground DC B field of surrounding magnet

eg. • ADMX •ORGAN (UWA) •CAPP •HAYSTAC





- Two modes in one cylindrical cavity

• Upconversion limit $m_a = |f_1 - f_0| + \delta f$



Photon 1: E field of cavity's resonant transverse magnetic mode, $m_a = f_1 + \delta f$

Photon 0, Back ground DC B field of surrounding magnet

eg. • ADMX •ORGAN (UWA) •CAPP •HAYSTAC





- Upconversion limit $m_a = |f_1 f_0| + \delta f$
- Photon 1: Transverse Magnetic Mode
- (Longitudinal Electric)

•Use a mode 0 as the background "magnetic field" AC source Two modes in one cylindrical cavity





Photon 1: E field of cavity's resonant transverse magnetic mode, $m_a = f_1 + \delta f$

Photon 0, Back ground DC B field of surrounding magnet

eg. • ADMX •ORGAN (UWA) •CAPP •HAYSTAC





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- (Longitudinal Electric)

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> Photon 0: Transverse Electric Mode





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Photon 0, Back ground DC B field of surrounding magnet

eg. • ADMX •ORGAN (UWA) •CAPP •HAYSTAC





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Photon 1: E field of cavity's resonant transverse magnetic mode, $m_a = f_1 + \delta f$

Photon 0, Back ground DC B field of surrounding magnet

eg. •ADMX •ORGAN (UWA) •CAPP •HAYSTAC





- (Longitudinal Electric)

AC Frequency: Excite two modes: Measure f₁ Frequency Fluctuation Spectrum

 Use a mode 0 as the background "magnetic field" AC s Two modes in one cylindrical cavity • Upconversion limit $m_a = |f_1 - f_0| + \delta f$

Photon 1: Transverse Photon 0: Transverse Electric Mode Magnetic Mode

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)U	U		し





Photon 1: E field of cavity's resonant transverse magnetic mode, $m_a = f_1 + \delta f$

Photon 0, Back ground DC B field of surrounding magnet

eg. •ADMX •ORGAN (UWA) •CAPP •HAYSTAC





- Photon 1: Transverse Electric Mode Magnetic Mode
- (Longitudinal Electric)

AC Frequency: Excite two modes: Measure f₁ Frequency Fluctuation Spectrum

AC Power: Excite f₀: Measure f₁ Power Fluctuation Spectrum

 Use a mode 0 as the background "magnetic field" AC s Two modes in one cylindrical cavity • Upconversion limit $m_a = |f_1 - f_0| + \delta f$

Photon 0: Transverse

^o	11	rr	D
)U	U		し







UPconversion Low-Noise Oscillator Axion Detection Experiment



• Cavity resonator haloscope No externally applied magnetic field • TM and TE modes (~9 GHz modes) • Height Tunable Accessing MHz axions via upconversion

PHYSICAL REVIEW D 107, 112003 (2023)

Searching for low-mass axions using resonant upconversion

Catriona A. Thomson^{1,*} Maxim Goryachev,¹ Ben T. McAllister,^{1,2} Eugene N. Ivanov,¹ Paul Altin,³ and Michael E. Tobar^{1,†} Quantum Technologies and Dark Matter Labs, Department of Physics, University of Western Australia, 35 Stirling Highway, Crawley, Western Australia 6009, Australia ²Centre for Astrophysics and Supercomputing, Swinburne University of Technology, John St, Hawthorn, Victoria 3122, Australia ³ARC Centre of Excellence For Engineered Quantum Systems, The Australian National University, Canberra, Australian Capital Territory 2600 Australia

(Received 17 January 2023; accepted 5 May 2023; published 5 June 2023)





V1: readout via frequency metrology



(power)

UPLOAD V2: Exclusion limits



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FIG. 7. In green, the 95% confidence axion exclusion zone for both $g_{a\gamma\gamma}$ and g_{aBB} for the measured mass range between 1.12 – 1.20 µeV (271.7 MHz—290.3 MHz) for a measurement period of 30 days, which is an improvement of 3 orders of magnitude over our previous result [29]. The bright green region represents the uncertainty on excluded $g_{a\gamma\gamma}$, which is detailed in Appendix C. The blue dashed line represents the approximate sensitivity achievable with a niobium resonator of loaded quality factors around 10⁷ and cooled to a temperature of 4 K, measuring for a period of 30 days, and using a cryogenic amplifier of noise temperature 4 K. Construction for this setup is underway.



UPLOAD V3: Cryogenic Niobium

An experiment targeting 350 MHz axions with a dual mode cavity (~12 GHz), height tuning with a piezo actuated lid. Gain in noise temperature and quality factor.

$$g_{a\gamma\gamma} = \frac{\sqrt{P_a}}{\frac{fa}{\sqrt{f_{1*f_0}}} \frac{(2\sqrt{2}\sqrt{\beta_1\beta_0})}{\sqrt{1+\beta_1}(\beta_0+1)}} \sqrt{\frac{1}{1+4(Q_{L1})^2(\frac{f_a+f_0-f_1}{f_1})^2}} \sqrt{\frac{f_a+f_0-f_1}{f_1}}}$$

Q ~ 13,000 → > 20,000,000

$290 \text{ K} \rightarrow 4 \text{ K}$

 $\langle H
angle = k_{
m B} T$





Trialing attocube actuator in silver plated cavity



High Energy Physics – Phenomenology

[Submitted on 17 Mar 2023]

Generic axion Maxwell equations: path integral approach

Anton V. Sokolov, Andreas Ringwald



High Energy Physics – Phenomenology

[Submitted on 5 May 2022]

Electromagnetic Couplings of Axions

Anton V. Sokolov, Andreas Ringwald




$\exists \mathbf{T} \setminus \mathbf{IV} > hep-ph > arXiv:2303.10170$

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-> Further Modifications to Axion Electrodynamics

V > hep-ph > arXiv:2303.10170 31

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- -> Can test the existence of Magnetic Charge through Axions

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Axion-photon coupling parameter space is expanded from one parameter to three

 $g_{a\gamma\gamma} \rightarrow (g_{a\gamma\gamma}, g_{aEM}, g_{aMM})$







- -> Further Modifications to Axion Electrodynamics
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Calculate Form Factors for Resonant Experiment with Static and Time varying Background Electric and Magnetic Fields -> Poynting Theorem



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Sensitivity of Resonant Axion Haloscopes to Quantum Electromagnetodynamics

Michael E. Tobar 🔀, Catriona A. Thomson, Benjamin T. McAllister, Maxim Goryachev, Anton V. So Andreas Ringwald

First published: 22 April 2023 | https://doi.org/10.1002/andp.202200594



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Searching for GUT-scale QCD axions and monopoles with a high-voltage capacitor

Michael E. Tobar⁽⁰⁾,^{1,*} Anton V. Sokolov⁽⁰⁾,² Andreas Ringwald⁽⁰⁾,³ and Maxim Goryachev¹ ¹Quantum Technologies and Dark Matter Labs, Department of Physics, University of Western Australia, 35 Stirling Highway, Crawley, Western Australia 6009, Australia ²Department of Mathematical Sciences, University of Liverpool, Liverpool, L69 7ZL, United Kingdom

³Deutsches Elektronen-Synchrotron DESY, Notkestraße 85, 22607 Hamburg, Germany

(Received 20 June 2023; accepted 2 August 2023; published 17 August 2023)

arXiv:2306.13320v1 [hep-ph] 23 Jun 2023





SENSITIVITY OF AXION RESONANT HALOSCOPES UNDER DC ELECTRIC FIELDS



Form Factors

$C_{1aEMm} = \frac{(\int \vec{E}_0 \cdot \operatorname{Re}(\mathbf{E}_1) dV)^2}{E_0^2 V_1 \int \mathbf{E}_1 \cdot \mathbf{E}_1^* dV} \qquad C_{1aMM} = \frac{(\int \vec{E}_0 \cdot \operatorname{Re}(\mathbf{B}_1) dV)^2}{E_0^2 V_1 \int \mathbf{B}_1 \cdot \mathbf{B}_1^* dV},$



PHYSICAL REVIEW D 108, 035024 (2023)

Searching for GUT-scale QCD axions and monopoles with a high-voltage capacitor

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(Received 20 June 2023; accepted 2 August 2023; published 17 August 2023)

The QCD axion has been postulated to exist because it solves the strong-CP problem. Furthermore, if it exists axions should be created in the early Universe and could account for all the observed dark matter. In particular, axion masses of order 10⁻¹⁰ eV to 10⁻⁷ eV correspond to axions in the vicinity of the grand unified theory scale (GUT-scale). In this mass range many experiments have been proposed to search for the axion through the standard QED coupling parameter $g_{a\gamma\gamma}$. Recently axion electrodynamics has been expanded to include two more coupling parameters, g_{aEM} and g_{aMM} , which could arise if heavy magnetic monopoles exist. In this work we show that both g_{aMM} and g_{aEM} may be searched for using a high-voltage capacitor. Since the experiment is not sensitive to g_{ayy} , it gives a new way to search for effects of heavy monopoles if the GUT-scale axion is shown to exist, or to simultaneously search for both the axion and the monopole at the same time.

DOI: 10.1103/PhysRevD.108.035024

arXiv:2306.13320v1 [hep-ph] 23 Jun 2023



Vector Phasor Amplitudes

$$\oint \operatorname{Im}\left(\mathbf{S}_{1}\right) \cdot \hat{n}ds = \omega_{a} \int \left(\left(\frac{1}{2\mu_{0}}\mathbf{B}_{1}^{*}\cdot\mathbf{B}_{1}-\frac{\epsilon_{0}}{2}\mathbf{E}_{1}\cdot\mathbf{E}_{1}^{*}\right)-\frac{g_{a}}{2}\mathbf{E}_{1}\cdot\mathbf{E}_{1}^{*}\right) - \frac{g_{a}}{2}\mathbf{E}_{1}\cdot\mathbf{E}_{1}^{*}\right) - \frac{g_{a}}{2}\mathbf{E}_{1}\cdot\mathbf{E}_{1}^{*}$$

 $\frac{g_{aEM}a_0\epsilon_0}{4}(\mathbf{E}_1 + \mathbf{E}_1^*) \cdot \overrightarrow{E}_0 + \frac{g_{aMM}a_0\epsilon_0}{4}(\mathbf{B}_1 + \mathbf{B}_1^*) \cdot \overrightarrow{E}_0) dV.$

Vector Phasor Amplitudes

$$\oint \operatorname{Im} \left(\mathbf{S}_{1} \right) \cdot \hat{n} ds = \omega_{a} \int \left(\left(\frac{1}{2\mu_{0}} \mathbf{B}_{1}^{*} \cdot \mathbf{B}_{1} - \frac{\epsilon_{0}}{2} \mathbf{E}_{1} \cdot \mathbf{E}_{1}^{*} \right) - \frac{g_{a}}{2} \mathbf{E}_{1} \cdot \mathbf{E}_{1}^{*} \right) dv$$

$$U_{1} = \frac{\epsilon_{0} a_{0}^{2} \left(\int \left(g_{aEM} \left(\mathbf{E}_{1}^{*} + \mathbf{E}_{1} \right) - g_{aMM} c \left(\mathbf{B}_{1}^{*} + \mathbf{B}_{1} \right) \right) \cdot \vec{E}_{0} dv \right)^{2}}{8 \int \left(\left(c^{2} \mathbf{B}_{1}^{*} \cdot \mathbf{B}_{1} - \mathbf{E}_{1} \cdot \mathbf{E}_{1}^{*} \right) \right) dv}$$

 $\frac{g_{aEM}a_0\epsilon_0}{4} (\mathbf{E}_1 + \mathbf{E}_1^*) \cdot \overrightarrow{E}_0 + \frac{g_{aMM}a_0\epsilon_0}{4} (\mathbf{B}_1 + \mathbf{B}_1^*) \cdot \overrightarrow{E}_0) dV.$

AC Capacitor: Apply Poynting Theorem: Sensitive to *g*_{*aEM*}

Vector Phasor Amplitudes

$$\begin{split} \oint \mathrm{Im} \left(\mathbf{S}_{1} \right) \cdot \hat{n} ds &= \omega_{a} \int \left(\left(\frac{1}{2\mu_{0}} \mathbf{B}_{1}^{*} \cdot \mathbf{B}_{1} - \frac{\epsilon_{0}}{2} \mathbf{E}_{1} \cdot \mathbf{E}_{1}^{*} \right) - \frac{g_{aEM}a_{0}\epsilon_{0}}{4} (\mathbf{E}_{1} + \mathbf{E}_{1}^{*}) \cdot \vec{E}_{0} + \frac{g_{aMM}a_{0}\epsilon_{0}}{4} (\mathbf{B}_{1} + \mathbf{B}_{1}^{*}) \cdot \vec{E}_{0} \right) \right) dV. \\ U_{1} &= \frac{\epsilon_{0}a_{0}^{2} \left(\int \left(g_{aEM} \left(\mathbf{E}_{1}^{*} + \mathbf{E}_{1} \right) - g_{aMM}c \left(\mathbf{B}_{1}^{*} + \mathbf{B}_{1} \right) \right) \cdot \vec{E}_{0} dv \right)^{2}}{8 \int \left(\left(c^{2}\mathbf{B}_{1}^{*} \cdot \mathbf{B}_{1} - \mathbf{E}_{1} \cdot \mathbf{E}_{1}^{*} \right) \right) dv} \qquad \mathbf{B}_{1} + \mathbf{B}_{1}^{*} \sim 0 \quad \mathbf{E}_{1} + \mathbf{E}_{1}^{*} \sim 2\mathbf{E}_{1} \end{split}$$

Vector Phasor Amplitudes

$$\oint \operatorname{Im}\left(\mathbf{S}_{1}\right) \cdot \hat{n} ds = \omega_{a} \int \left(\left(\frac{1}{2\mu_{0}}\mathbf{B}_{1}^{*} \cdot \mathbf{B}_{1} - \frac{\epsilon_{0}}{2}\mathbf{E}_{1} \cdot \mathbf{E}_{1}^{*}\right) - \frac{g_{aEM}a_{0}\epsilon_{0}}{4}(\mathbf{E}_{1} + \mathbf{E}_{1}^{*}) \cdot \vec{E}_{0} + \frac{g_{aMM}a_{0}\epsilon_{0}}{4}(\mathbf{B}_{1} + \mathbf{B}_{1}^{*}) \cdot \vec{E}_{0}\right) dV.$$

$$U_{1} = \frac{\epsilon_{0}a_{0}^{2}\left(\int \left(g_{aEM}\left(\mathbf{E}_{1}^{*} + \mathbf{E}_{1}\right) - g_{aMM}c\left(\mathbf{B}_{1}^{*} + \mathbf{B}_{1}\right)\right) \cdot \vec{E}_{0}dv\right)^{2}}{8\int \left(\left(c^{2}\mathbf{B}_{1}^{*} \cdot \mathbf{B}_{1} - \mathbf{E}_{1} \cdot \mathbf{E}_{1}^{*}\right)\right) dv} \qquad \mathbf{B}_{1} + \mathbf{B}_{1}^{*} \sim 0 \quad \mathbf{E}_{1} + \mathbf{E}_{1}^{*} \sim 2\mathbf{E}_{1} \qquad U_{1} \approx -\frac{g_{aEM}a_{0}^{2}\epsilon_{0}\left(\int \mathbf{E}_{1} \cdot \vec{E}_{0}dv\right)^{2}}{2\int \mathbf{E}_{1} \cdot \mathbf{E}_{1}^{*}dv}$$



Vector Phasor Amplitudes

$$\oint \operatorname{Im} \left(\mathbf{S}_{1} \right) \cdot \hat{n} ds = \omega_{a} \int \left(\left(\frac{1}{2\mu_{0}} \mathbf{B}_{1}^{*} \cdot \mathbf{B}_{1} - \frac{\epsilon_{0}}{2} \mathbf{E}_{1} \cdot \mathbf{E}_{1}^{*} \right) - \frac{g_{aEM}a_{0}\epsilon_{0}}{4} (\mathbf{E}_{1} + \mathbf{E}_{1}^{*}) \cdot \vec{E}_{0} + \frac{g_{aMM}a_{0}\epsilon_{0}}{4} (\mathbf{B}_{1} + \mathbf{B}_{1}^{*}) \cdot \vec{E}_{0} \right) dV.$$

$$U_{1} = \frac{\epsilon_{0}a_{0}^{2} \left(\int \left(g_{aEM} \left(\mathbf{E}_{1}^{*} + \mathbf{E}_{1} \right) - g_{aMM}c \left(\mathbf{B}_{1}^{*} + \mathbf{B}_{1} \right) \right) \cdot \vec{E}_{0} dv \right)^{2}}{8 \int \left(\left(c^{2}\mathbf{B}_{1}^{*} \cdot \mathbf{B}_{1} - \mathbf{E}_{1} \cdot \mathbf{E}_{1}^{*} \right) \right) dv} \qquad \mathbf{B}_{1} + \mathbf{B}_{1}^{*} \sim 0 \quad \mathbf{E}_{1} + \mathbf{E}_{1}^{*} \sim 2\mathbf{E}_{1} \qquad U_{1} \approx -\frac{g_{aEM}a_{0}^{2}\epsilon_{0} \left(\int \mathbf{E}_{1} \cdot \vec{E}_{0} dv \right)^{2}}{2 \int \mathbf{E}_{1} \cdot \mathbf{E}_{1}^{*} dv}$$

$$\oint \operatorname{Im} \left(\mathbf{S}_{1} \right) \cdot \hat{n} ds = \omega_{a} \int \left(\left(\frac{1}{2\mu_{0}} \mathbf{B}_{1}^{*} \cdot \mathbf{B}_{1} - \frac{\epsilon_{0}}{2} \mathbf{E}_{1} \cdot \mathbf{E}_{1}^{*} \right) - \frac{g_{aEM}a_{0}\epsilon_{0}}{4} (\mathbf{E}_{1} + \mathbf{E}_{1}^{*}) \cdot \vec{E}_{0} + \frac{g_{aMM}a_{0}\epsilon_{0}}{4} (\mathbf{B}_{1} + \mathbf{B}_{1}^{*}) \cdot \vec{E}_{0} \right) \right) dV.$$

$$U_{1} = \frac{\epsilon_{0}a_{0}^{2} \left(\int \left(g_{aEM} \left(\mathbf{E}_{1}^{*} + \mathbf{E}_{1} \right) - g_{aMM}c \left(\mathbf{B}_{1}^{*} + \mathbf{B}_{1} \right) \right) \cdot \vec{E}_{0} dv \right)^{2}}{8 \int \left(\left(c^{2}\mathbf{B}_{1}^{*} \cdot \mathbf{B}_{1} - \mathbf{E}_{1} \cdot \mathbf{E}_{1}^{*} \right) \right) dv} \qquad \mathbf{B}_{1} + \mathbf{B}_{1}^{*} \sim 0 \quad \mathbf{E}_{1} + \mathbf{E}_{1}^{*} \sim 2\mathbf{E}_{1} \qquad U_{1} \approx -\frac{g_{aEM}a_{0}^{2}\epsilon_{0} \left(\int \mathbf{E}_{1} \cdot \vec{E}_{0} dv \right)^{2}}{2 \int \mathbf{E}_{1} \cdot \mathbf{E}_{1}^{*} dv}$$

Axion generated Electric Field





Vector Phasor Amplitudes

$$\oint \operatorname{Im}\left(\mathbf{S}_{1}\right) \cdot \hat{n}ds = \omega_{a} \int \left(\left(\frac{1}{2\mu_{0}}\mathbf{B}_{1}^{*} \cdot \mathbf{B}_{1} - \frac{\epsilon_{0}}{2}\mathbf{E}_{1} \cdot \mathbf{E}_{1}^{*}\right) - \frac{g_{aEM}a_{0}\epsilon_{0}}{4}(\mathbf{E}_{1} + \mathbf{E}_{1}^{*}) \cdot \vec{E}_{0} + \frac{g_{aMM}a_{0}\epsilon_{0}}{4}(\mathbf{B}_{1} + \mathbf{B}_{1}^{*}) \cdot \vec{E}_{0}\right) dV.$$

$$U_{1} = \frac{\epsilon_{0}a_{0}^{2} \left(\int \left(g_{aEM}\left(\mathbf{E}_{1}^{*} + \mathbf{E}_{1}\right) - g_{aMM}c\left(\mathbf{B}_{1}^{*} + \mathbf{B}_{1}\right)\right) \cdot \vec{E}_{0}dv\right)^{2}}{8\int \left(\left(c^{2}\mathbf{B}_{1}^{*} \cdot \mathbf{B}_{1} - \mathbf{E}_{1} \cdot \mathbf{E}_{1}^{*}\right)\right) dv} \qquad \mathbf{B}_{1} + \mathbf{B}_{1}^{*} \sim 0 \quad \mathbf{E}_{1} + \mathbf{E}_{1}^{*} \sim 2\mathbf{E}_{1} \qquad U_{1} \approx -\frac{g_{aEM}^{2}a_{0}^{2}\epsilon_{0}\left(\int \mathbf{E}_{1} \cdot \vec{E}_{0}dv\right)^{2}}{2\int \mathbf{E}_{1} \cdot \mathbf{E}_{1}^{*}dv}$$

$$\oint \operatorname{Im} \left(\mathbf{S}_{1} \right) \cdot \hat{n} ds = \omega_{a} \int \left(\left(\frac{1}{2\mu_{0}} \mathbf{B}_{1}^{*} \cdot \mathbf{B}_{1} - \frac{\epsilon_{0}}{2} \mathbf{E}_{1} \cdot \mathbf{E}_{1}^{*} \right) - \frac{g_{aEM}a_{0}\epsilon_{0}}{4} (\mathbf{E}_{1} + \mathbf{E}_{1}^{*}) \cdot \vec{E}_{0} + \frac{g_{aMM}a_{0}\epsilon_{0}}{4} (\mathbf{B}_{1} + \mathbf{B}_{1}^{*}) \cdot \vec{E}_{0} \right) \right) dV.$$

$$U_{1} = \frac{\epsilon_{0}a_{0}^{2} \left(\int \left(g_{aEM} \left(\mathbf{E}_{1}^{*} + \mathbf{E}_{1} \right) - g_{aMM}c \left(\mathbf{B}_{1}^{*} + \mathbf{B}_{1} \right) \right) \cdot \vec{E}_{0} dv \right)^{2}}{8 \int \left(\left(c^{2}\mathbf{B}_{1}^{*} \cdot \mathbf{B}_{1} - \mathbf{E}_{1} \cdot \mathbf{E}_{1}^{*} \right) \right) dv} \qquad \mathbf{B}_{1} + \mathbf{B}_{1}^{*} \sim 0 \quad \mathbf{E}_{1} + \mathbf{E}_{1}^{*} \sim 2\mathbf{E}_{1} \qquad U_{1} \approx -\frac{g_{aEM}a_{0}^{2}\epsilon_{0} \left(\int \mathbf{E}_{1} \cdot \vec{E}_{0} dv \right)^{2}}{2 \int \mathbf{E}_{1} \cdot \mathbf{E}_{1}^{*} dv}$$

Axion generated Electric Field





$$\frac{\oint \operatorname{Im}\left(\mathbf{S}_{1}\right) \cdot \hat{n}ds}{\omega_{a}} = \int \left(\left(\frac{1}{2\mu_{0}}\mathbf{B}_{1}^{*} \cdot \mathbf{B}_{1} - \frac{\epsilon_{0}}{2}\mathbf{E}_{1} \cdot \mathbf{E}_{1}^{*}\right) - \frac{g_{aEM}a_{0}\epsilon_{0}}{4}(\mathbf{E}_{1} + \mathbf{E}_{1}^{*}) \cdot \vec{E}_{0} + \frac{g_{aMM}a_{0}\epsilon_{0}c}{4}(\mathbf{E}_{1} + \mathbf{E}_{1}^{*}) \cdot \vec{E}_{0} + \frac{g_{aMM}a_{0}c}{4}(\mathbf{E}_{1} + \mathbf{E}_{1}^{*}) \cdot \vec{E}_$$

 $-(\mathbf{B}_1 + \mathbf{B}_1^*) \cdot \vec{E}_0) dV$



$$\frac{\oint \operatorname{Im}\left(\mathbf{S}_{1}\right) \cdot \hat{n}ds}{\omega_{a}} = \int \left(\left(\frac{1}{2\mu_{0}}\mathbf{B}_{1}^{*} \cdot \mathbf{B}_{1} - \frac{\epsilon_{0}}{2}\mathbf{E}_{1} \cdot \mathbf{E}_{1}^{*}\right) - \frac{g_{aEM}a_{0}\epsilon_{0}}{4}(\mathbf{E}_{1} + \mathbf{E}_{1}^{*}) \cdot \vec{E}_{0} + \frac{g_{aMM}a_{0}\epsilon_{0}c}{4}(\mathbf{E}_{1} + \mathbf{E}_{1}^{*}) \cdot \vec{E}_{0} + \frac{g_{aMM}a_{0}c}{4}(\mathbf{E}_{1} + \mathbf{E}_{1}^{*}) \cdot \vec{E}_$$

$$U_{1} = \frac{\left(\frac{g_{aMM}a_{0}\epsilon_{0}c}{2}\int \mathbf{B}_{1}\cdot\vec{E}_{0} dV\right)^{2}}{\int\left(\frac{1}{2\mu_{0}}\mathbf{B}_{1}^{*}\cdot\mathbf{B}_{1}-\frac{\epsilon_{0}}{2}\mathbf{E}_{1}\cdot\mathbf{E}_{1}^{*}\right) dV}$$

 $\vec{-}(\mathbf{B}_1 + \mathbf{B}_1^*) \cdot \vec{E}_0) dV$



$$\frac{\oint \operatorname{Im}\left(\mathbf{S}_{1}\right) \cdot \hat{n}ds}{\omega_{a}} = \int \left(\left(\frac{1}{2\mu_{0}}\mathbf{B}_{1}^{*} \cdot \mathbf{B}_{1} - \frac{\epsilon_{0}}{2}\mathbf{E}_{1} \cdot \mathbf{E}_{1}^{*}\right) - \frac{g_{aEM}a_{0}\epsilon_{0}}{4} (\mathbf{E}_{1} + \mathbf{E}_{1}^{*}) \cdot \vec{E}_{0} + \frac{g_{aMM}a_{0}\epsilon_{0}c}{4} (\mathbf{E}_{1} + \mathbf{E}_{1}^{*}) \cdot \vec{E}_{0} +$$

$$U_{1} = \frac{\left(\frac{g_{aMM}a_{0}\epsilon_{0}c}{2}\int\mathbf{B}_{1}\cdot\vec{E}_{0}\ dV\right)^{2}}{\int\left(\frac{1}{2\mu_{0}}\mathbf{B}_{1}^{*}\cdot\mathbf{B}_{1}-\frac{\epsilon_{0}}{2}\mathbf{E}_{1}\cdot\mathbf{E}_{1}^{*}\right)\ dV} \qquad U_{1} \approx \frac{g_{aMM}^{2}a_{0}^{2}\epsilon_{0}}{2}\frac{\left(\int\mathbf{B}_{1}\cdot\vec{E}_{0}\ dV\right)^{2}}{\int\mathbf{B}_{1}^{*}\cdot\mathbf{B}_{1}\ dV}$$

 $\vec{-}(\mathbf{B}_1 + \mathbf{B}_1^*) \cdot \vec{E}_0) dV$



$$\frac{\oint \operatorname{Im}\left(\mathbf{S}_{1}\right) \cdot \hat{n}ds}{\omega_{a}} = \int \left(\left(\frac{1}{2\mu_{0}}\mathbf{B}_{1}^{*} \cdot \mathbf{B}_{1} - \frac{\epsilon_{0}}{2}\mathbf{E}_{1} \cdot \mathbf{E}_{1}^{*}\right) - \frac{g_{aEM}a_{0}\epsilon_{0}}{4}(\mathbf{E}_{1} + \mathbf{E}_{1}^{*}) \cdot \vec{E}_{0} + \frac{g_{aMM}a_{0}\epsilon_{0}c}{4}(\mathbf{E}_{1} + \mathbf{E}_{1}^{*}) \cdot \vec{E}_{0} + \frac{g_{aMM}a_{0}\epsilon_{0}c}{4}(\mathbf{E}_$$

$$U_{1} = \frac{\left(\frac{g_{aMM}a_{0}\epsilon_{0}c}{2}\int\mathbf{B}_{1}\cdot\vec{E}_{0}\ dV\right)^{2}}{\int\left(\frac{1}{2\mu_{0}}\mathbf{B}_{1}^{*}\cdot\mathbf{B}_{1}-\frac{\epsilon_{0}}{2}\mathbf{E}_{1}\cdot\mathbf{E}_{1}^{*}\right)\ dV} \qquad U_{1} \approx \frac{g_{aMM}^{2}a_{0}^{2}\epsilon_{0}}{2}\frac{\left(\int\mathbf{B}_{1}\cdot\vec{E}_{1}\right)}{\int\mathbf{B}_{1}^{*}\cdot\mathbf{E}_{1}^{*}\right)\ dV}$$





$$\frac{\oint \operatorname{Im}\left(\mathbf{S}_{1}\right) \cdot \hat{n}ds}{\omega_{a}} = \int \left(\left(\frac{1}{2\mu_{0}}\mathbf{B}_{1}^{*} \cdot \mathbf{B}_{1} - \frac{\epsilon_{0}}{2}\mathbf{E}_{1} \cdot \mathbf{E}_{1}^{*}\right) - \frac{g_{aEM}a_{0}\epsilon_{0}}{4}(\mathbf{E}_{1} + \mathbf{E}_{1}^{*}) \cdot \vec{E}_{0} + \frac{g_{aMM}a_{0}\epsilon_{0}c}{4}(\mathbf{E}_{1} + \mathbf{E}_{1}^{*}) \cdot \vec{E}_{0} + \frac{g_{aMM}a_{0}\epsilon_{0}c}{4}(\mathbf{E}_$$

$$U_{1} = \frac{\left(\frac{g_{aMM}a_{0}\epsilon_{0}c}{2}\int\mathbf{B}_{1}\cdot\vec{E}_{0}\ dV\right)^{2}}{\int\left(\frac{1}{2\mu_{0}}\mathbf{B}_{1}^{*}\cdot\mathbf{B}_{1}-\frac{\epsilon_{0}}{2}\mathbf{E}_{1}\cdot\mathbf{E}_{1}^{*}\right)\ dV} \qquad U_{1} \approx \frac{g_{aMM}^{2}a_{0}^{2}\epsilon_{0}}{2}\frac{\left(\int\mathbf{B}_{1}\cdot\vec{E}_{1}\cdot\vec{E}_{1}\right)}{\int\mathbf{B}_{1}^{*}\cdot\vec{E}_{1}^{*}}$$





Low-Mass Sensitivity to the QCD Axion



SCALAR DARK MATTER: ELECTROMAGNETIC TECHNIQUES

Searching for scalar field dark matter using cavity resonators and capacitors

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PHYSICAL REVIEW D 106, 055037 (2022)







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